

IMSHNEISKIY, A.A.; SHCHERBAKOVA, Ye.Ya.

Correlation existing between morphological and physiological changes in Aspergillus niger mutants. Mikrobiologija 33 no.2:252-260 Mr-Ap '64. (MIRA 17:12)

1. Institut mikrobiologii AN SSSR i Nauchno-issledovatel'skiy institut konditerskoy promyshlennosti.

"APPROVED FOR RELEASE: 08/10/2001

CIA-RDP86-00513R000618610007-2

IMSHENETSKIY, A.A. akademik

Life elsewhere in the universe. Vest. AN SSSR 33 no.9;23-29
S '63. (MIRA 16:9)
(Plurality of worlds)

APPROVED FOR RELEASE: 08/10/2001

CIA-RDP86-00513R000618610007-2"

"APPROVED FOR RELEASE: 08/10/2001

CIA-RDP86-00513R000618610007-2

IMSHENETSKIY, A.A., akademik

Urgent problems of microbiology. Vest. AN SSSR 33 no.3:82-90
Mr '63. (MIRA 16:3)
(MICROBIOLOGICAL RESEARCH)

APPROVED FOR RELEASE: 08/10/2001

CIA-RDP86-00513R000618610007-2"

IMSHENETSKIY, A.A., akademik; PARIYSKAYA, A.N.; PETROVA, K.Z.

Transmission of biochemical characteristics in bacteria by transformation. Dokl. AN SSSR 151 no.2:443-445 Jl '63. (MIRA 16:?)

1. Institut mikrobiologii AN SSSR.
(Nucleic acids) (Bacteria)

IMSHENETSKIY, A.A., akademik; SOLNTSEVA, L.I.; KURANOVA, N.F.

Polyplloid yeastlike fungi from the genus Candida. Dokl. AN SSSR
152 no.1:212-215 S '63. (MIRA 16:9)

1..Institut mikrobiologii AN SSSR.
(Candida (Fungus)) (Polyploidy)

IMSHINETSKIY, A.; LYSENKO, S.;

"An ultra-high vacuum and micro-organisms" (USSR)

Report submitted for the COSPAR Fifth International Space Science Symposium, Florence, Italy, 8 - 20 May 1964.

IMSHENETSKIY, A. A.; ABYZOV, S. S.;

* A technique and some results of meteorite microbiological investigations* (USSR)

Report submitted for the COSPAR Fifth International Space Science Symposium, Florence,
Italy, 8-20 May 1964.

IMSHENETSKIY, A. A.

"The tasks of cosmic microbiology."

report presented at 4th Intl Cong, Hungarian Soc of Microbiologists, Budapest,
30 Sep-3 Oct 64.

Inst of Microbiology, AMS USSR, Moscow.

KRISS, A.Ye.; MISHUSTINA, I.Ye.; MITSKEVICH, I.N.; ZEMTSOVA, E.V.;
IMSHENETSKIY, A.A., akademik, otv. red.; GOL'DIN, M.I.,
red. Izd-va; GUSEVA, A.P., tekhn. red.; KISELEVA, A.A.,
tekhn. red.

[Microbial population of the Pacific Ocean; species and
geographical distribution] Mikrobnoe naselenie mirovogo
okeana; vidovoi sostav, geograficheskoe rasprostranenie.
Moskva, Izd-vo "Nauka," 1964. 295 p. (MIRA 17:1)

"APPROVED FOR RELEASE: 08/10/2001

CIA-RDP86-00513R000618610007-2

IMSHENETSKIY, A.A.

Cell-free fixation of nitrogen. Usp. mikrobiol. 1:61-74 '64.
(MIRA 18:9)

APPROVED FOR RELEASE: 08/10/2001

CIA-RDP86-00513R000618610007-2"

"APPROVED FOR RELEASE: 08/10/2001

CIA-RDP86-00513R000618610007-2

IMSHENETSKIY, A.A.; KRASIL'NIKOV, F.A.; KRISS, A.Ye.; MEYSEL', M.S.;
MISHUSTIN, Ye.N.; RAUTENSHTEYN, Ya.I.; SKRYABIN, G.K.

Boris Iakovlevich El'bert, 1890-1963; an obituary.
Mikrobiologiya 33 no.2:378-379 Mr-Ap '64. (MIRA 17:12)

APPROVED FOR RELEASE: 08/10/2001

CIA-RDP86-00513R000618610007-2"

IIMSHENETSKIY, A.A., akademik; BOGOROV, N.; LYSenko, S.

Resistance of micro-organisms to deep vacuum. Dokl. AN SSSR
154 no.5:1188-1190 F'64. (MIRA 17:2)

1. Institut mikrobiologii AN SSSR i Fiziko-tehnicheskiy institut
nizkikh temperatur AN UkrSSR.

IMSHENETSKIY, A.A.

"The decomposition of high molecular weight substances in soil."

report submitted for Symp on Ecology of Soil Bacteria, Liverpool, UK, 6-10
Sept 1965.

IMSHENETSKIY, A.A.; ZHIL'TSOVA, G.K.

Possibility for identifying nucleoids in the cells of
bacteria as related to the age of their cultures. Mikro-
biologiya 34 no.2:305-312 Mr-Ap '65. (MIRA 18:6)

1. Institut mikrobiologii AN SSSR.

IMSHENETSKIY, A.A.; RAUTENSHTEYN, Ya.I.; KAZANSKAYA, T.B.; BEKTEREVA, M.N.

Pavel Andreevich Agatov, 1905- ; on his 60th birthday. Mikrobiologiya
34 no.4:749 Jl-Ag '65. (MIRA 18:10)

IMSHENETSKIY, A.A., akademik; YEFIMOCHKINA, Ye.F.; NIKITIN, L.Ye.; ZANIN, V.A.

Bacterial decomposition of cholesterol in the human blood serum.
Dokl. AN SSSR 161 no.3:701-703 Mr '65.

(MIRA 18:4)

1. Institut mikrobiologii AN SSSR.

IMSHENETSKIJ, A.A., akademik; BROTSKAYA, S.Z.; KORSHUNOV, V.V.

Effect of the proteinase of molds on the blood thrombi. Dokl. AN SSSR
163 no. 3:737-740 Jl '65. (MLRA 18:7)

1. Institut mikrobiologii AN SSSR.

L 15647-66 EWT(1)/EWA(d) GW

ACC NR: AP6005548

SOURCE CODE: UR/0030/66/000/001/0036/0045
20
25
28AUTHOR: Imshenetskiy, A. A. (Academician)

ORG: none

TITLE: Meteorites^{12, 65} and the problem of the existence of extraterrestrial life

SOURCE: AN SSSR. Vestnik, no. 1, 1966, 35-45

TOPIC TAGS: meteorite, carbonaceous chondrite, ~~extraterrestrial life, organic~~
~~astrobiology~~

ABSTRACT: Possible extraterrestrial origins of life-like forms in carbonaceous chondrites are explored. A specific feature of all carbonaceous chondrites is the inclusion of organic substances (6-8%) which are normally synthesized on Earth by live cells: cytosine, purine, amino acids, aliphatic acids, fats, pristane, phytane, etc. The following arguments are said to favor the hypothesis of the biogenic origin of these substances: 1) Infrared and ultraviolet spectroscopic and mass spectrographic evidence has been recently presented indicating that the compounds extracted from carbonaceous chondrites are similar in composition to those extracted from terrestrial sedimentary rocks; 2) substances found

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ACC NR: AP6005548

in carbonaceous chondrites are thought to have resulted only from biosynthesis, i.e., amino acids, purine and pyrimidine bases, and the dissociation products of chlorophyll (pristane and phytane); 3) determination of free radicals yielded values (10^{16} - 10^{19}) close to those which are characteristic of turf, lignite, and coal; 4) the C¹²/C¹³ ratio in carbonaceous chondrites indicates a lower content of C¹³, which is characteristic of carbonaceous substances of biogenic origin; 5) numerous compounds extracted from carbonaceous chondrites are active optically. It has been frequently suggested that chondrites are of terrestrial origin, and that they followed the moon at the time of its escape from Earth. This hypothesis, although it may well explain the similarity between organic substances of terrestrial and meteoritic "origin" has not gained much recognition. In addition to chemical analyses, paleomicrobiological methods are used to study meteorites. Morphological formations discovered under microscope, called "organized elements," were thought by some observers to be organic fossils. In the author's view, the origin of the organized elements has not yet been firmly established. The following assumptions are possible: 1) Organized elements are either mineral formations or contaminants, an unlikely possibility since as many as 1700 particles, 20-30 μ in diameter, were found in 1 mg of meteorite; 2) organized elements are variously shaped particles of dead organic matter included in carbonaceous chondrites; 3) organized elements belong to the group of "preprotobionts," i.e., abiotic microspheres or coacervates consisting of organic matter and preceding

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ACC NR: AP6005548

living matter in time; 4) organized elements are fossilized living organisms of extraterrestrial origin. Arguments based on chemical analyses and morphology involve conceivably a great deal of subjective judgment, and the question of whether a certain form is of biological or inorganic origin is still debatable. The only indisputable evidence for the existence of life in meteorites would be the extraction from these meteorites of living and reproducing organisms. Methods of microbiological analysis of meteorites are being developed at the Microbiological Institute of the Academy of Sciences, USSR. A specially designed chamber, provided with a drilling device and sterilized in a large autoclave, is used for extracting samples both from the surface and from the deep-seated portions of the meteorite under conditions which prevent microbes from entering into the meteorite from without. Much of what has been learned from the examination of meteorites still remains obscure. This can be easily understood if we consider the fact that the search is being carried on in the domain of the newly evolved sciences, space chemistry and exobiology. Orig. art. has: 1 figures and 5 tables.

(VM)

SUB CODE: 06, 03/ SUBM DATE: none/ ATD PRESS: 420/

PC

Card 3/3

ACC NR: AP7013154

SOURCE CODE: UR/0025/65/000 012/0082 0082

AUTHOR: Fesenkov, V. G. (Academician; Chairman of Committee); Inshenetskiy, A. A. (Academician; Director of Institute)

ORG: [FRESENKOV] Committee on Meteorites, AN SSSR (Komitet po meteoritam AN SSSR); [INSHENETSKIY] Institute of Microbiology, AN SSSR (Institut mikrobiologii AN SSSR)

TITLE: Collection of new meteorites

SOURCE: Nauka i zhizn', no. 12, 1965, 82

TOPIC TAGS: meteorite, meteor observation

SUB CODE: 03

ABSTRACT:

Another feature article in the Soviet press encourages the readers to be vigilant in a search for new meteorites. General information is presented, such as that three meteorites fall to earth annually in each area of a million square kilometers. Only 1,800 meteorites have been discovered throughout the world. The Academy of

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Acc APPROVED FOR RELEASE: 08/10/2001 CIA-RDP86-00513R000618610007-2" AP7013154

Sciences USSR has a collection of 300 Russian and foreign meteorites, one of the largest in the world. During the past two hundred years only 134 meteorites have been discovered in Russia; about half were observed during falling, while the other half cannot be identified as to date of falling. During the last ten years the Committee on Meteorites of the Academy of Sciences has received only twelve new meteorites. Almost all were found by chance by local inhabitants. The authors emphasize how important it is for people to report suspected meteorite finds to the Academy of Sciences and note that there is an established monetary reward for each find. Particular emphasis is given to the importance of finding newly fallen meteorites that might contain evidence on the existence of life in space. Accordingly, instructions are given on the proper recovery, storage and packing of finds in order to prevent any contamination. It is requested that small (10-20 g) pieces of suspected meteorites be sent to the Academy of Sciences for analysis, while great care is taken to safeguard the main body until a report is given. [JPRS: 34,593]

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"APPROVED FOR RELEASE: 08/10/2001

CIA-RDP86-00513R000618610007-2

IMSHENETS'KAYA, YU. A.

Institute of Microbiology, USSR Academy of Sciences, Moscow.
Influence of lichens on the development of the Azobacter.
SO: MIKROBIOLOGIA, Vol. 19, No. 2, March/April 50.

APPROVED FOR RELEASE: 08/10/2001

CIA-RDP86-00513R000618610007-2"

IMSHENETSKIV, A. I.

Heavy mineral concentration in alluvium, based on experimental
data. Sov.geol. 2 no.7:81-88 J1 '59. (MIRA 13:1)

1. Vsesoyusnyy institut mineral'nogo syr'ya (VIMS).
(Mineralogy)

"APPROVED FOR RELEASE: 08/10/2001

CIA-RDP86-00513R000618610007-2

IMSHENETSKIY, A.I., kand.geol.-mineral.nauk (Moskva)

In the Central Asia Economic Region. Priroda 52 no.7:114-115 Jl
'63. (MIRA 16:8)

(Soviet Central Asia—Economic conditions)

APPROVED FOR RELEASE: 08/10/2001

CIA-RDP86-00513R000618610007-2"

IMSHENETSKIY, A.I.

Genesis of the Tobol' titanium deposit in the Turgey trough.
Sov. geol. 7 no.5:140-146 May '64 (MIRA 18:2)

1. Sovet po izucheniyu proizvoditel'nykh sli AN SSSR.

"APPROVED FOR RELEASE: 08/10/2001

CIA-RDP86-00513R000618610007-2

IMSHENETSKIY, A.I., kand.geol.-mineral.nauk (Moskva)

Kubelite of the Russian platform. Priroda 54 no.2:117-118 F '65.
(MIRA 18:10)

APPROVED FOR RELEASE: 08/10/2001

CIA-RDP86-00513R000618610007-2"

ARKHANGEL'SKIY, L.N., inzh.; IMSHENETSKIY, A.M., inzh.; TEMERTI, G.F., inzh.

Automatic control of compressor stations. Ugol' Ukr. 7 no.7:
33-35 Jl '63. (MIRA 16:8)

1. Institut gornogo dela AN UkrSSR (for Arkhangel'skiy).
2. Trest Donetskpromavtomatika (for Imshenetskiy, Temerti).
(Air compressors) (Automatic control)

IMSHENETSKIY, S.

Game breeding and management is a science for nature transformers.
IUN.tekh. 4 no.6;18-21 Je '60. (MIRA 13:9)
(Wildlife, Conservation of)

IMSHENETSKIY, S., aspirant

Salutary fat of a harmful animal. Nauka i zhizn' 29 no.9:77
S '62. (MIRA 15:10)

1. Moskovskaya veterinarnaya akademiya.

(Susliks)

"APPROVED FOR RELEASE: 08/10/2001

CIA-RDP86-00513R000618610007-2

IMSHENETSKY, S.

Bird subordination. Mauka i zhian' 30 no. 5:70 My '69.
(MIRA 16:10)

APPROVED FOR RELEASE: 08/10/2001

CIA-RDP86-00513R000618610007-2"

PATRIKEYEV, B.; IMSHENETSKIY, V.

Improving the assembly of large-panel buildings. Na stroi. Ros. 3 no. 3:
7-10 Mr '62. (MIRA 16:2)

1. Glavnyy inzh. upravleniya Sverdlovskgorstroy (for Patrikeyev).
2. Nachal'nik tekhnicheskogo otdela upravleniya Sverdlovskgorstroya
(for Imshenetskiy).
(Sverdlovsk--Apartment houses)(Precast concrete construction)

VOROSHILIN, Ye.; IMSHENETSKIY, V.

Experimental kindergarten and nursery school made of elements
for industrial buildings. Na stroy.Ros. 4 no.6:15 Je '63.
(MIRA 16:6)

1. Glavnyy inzhener upravleniya Sverdlovskgorstroy (for
Voroshilin). 2. Nachal'nik tekhnicheskogo otdela upravleniya
Sverdlovskgorstroy (for Imshenetskiy).
(Sverdlovsk—Schoolhouses—Design and construction)

IMSHENETSKIY, V.B., inzh.; SEMINA, O.I., red.

[Building large-panel apartment houses in Sverdlovsk]
Krupnopal'nos domostroenie v Sverdlovske. Sverdlovsk,
TSentr. biuro tekhn. informatsii, 1962. 27 p.

(MIRA 17:8)

1. Russia (1917- R.S.F.S.R.) Sverdlovskiy ekonomicheskiy
administrativnyy rayon. Upravleniye stroitel'stva.

IMSHENETSKAYA, V.F.

Comparative evaluation of the effectiveness of an erythromycin base and erythromycin ascorbate on a model of experimental meningitis. Antibiotiki 8 no.6:533-535 Je'63 (MIRA 17:3)

1. Nauchno-issledovatel'skiy ordena Trudovogo Krasnogo Znameni institut neyrokhirurgii imeni N.N. Burdenko AMN SSSR.

VOROZHILIN, Yu.; IMSHENETSkiy, V.

Assembly of a schoolhouse by means of a ringed-frame indicator,
Na stroi. Ros. 6 no.2:22-23 F '65. (MIRA 19:1)

1. Glavnnyy inzh. upravleniya Sverdlovskgorstroy (for Vorozhilin).
2. Glavnnyy tekhnolog upravleniya Sverdlovskgorstroy (for Imshenetskiy).

IMSHENETSKIY, V. I.

METALS
STEEL HARDENING

DECEASED

c. '63

1964

IMSHENETSKIY, V.N., dotsent

Device for automatic regulation of a voltage supporting transformer.
Nauch. zap. KHMINSK Fak. elek. sel'khoz. 1 no.10:33-46 '58.

(MIRA 1647)

(Electric power distribution)
(Electric transformers)

IMSHENETSKIY, V.N., dotsent; BAZHENOV, I.G., assistant

Electric protection in electrified livestock farms. Nauch.
zap. KHMINSK Fak. elek. sel'khoz. 1 no.10:63-74 '58.

(MIRA 16:7)

(Electricity in agriculture—Safety measures)
(Stock and stockbreeding)

IMSHENETSKIY, Vladimir Nikolayevich, dotsent

Circle diagram of a three-phase asynchronous motor in single-phase operation. Izv. vys. ucheb. zav.; elektromekh., 4 no.3:73-83 '61. (MIRA 14:7)

1. Zaveduyushchiy kafedroy proizvodstva i raspredeleniya elektroenergii v sel'skom khozyaystve Khar'kovskogo instituta mekhanizatsii sel'skogo khozyaystva.
(Electric motors, Induction)

IMSHENETSKIY, V.N., dotsent; ISAYENKO, A.V., inzh.

Decrease in the maximum current in an overcurrent protection system using operative a.c. with low-power transformers. Izv. vys. ucheb. zav.; energ. 6 no.8:22-28 Ag 63. (MIRA 16:9)

1. Khar'kovskiy institut mekhanizatsii i elektrifikatsii sel'skogo khozyaystva. Predstavlena kafedroy proizvodstva i raspredeleniya elektroenergii v sel'skom khozyaystve.
(Electric power distribution)

IMSHENETSKIY, Vladimir Nikolayevich, dotsent

Operation of three-phase asynchronous electric motors connected
to a single-phase three-wire network carrying 440-220 volts.
Izv. vys. ucheb. zav.; elektromekh. 7 no.5:598-606 '64.
(MIRA 17:9)

1. Zaveduyushchiy kafedroy proizvodstva i raspredeleniya
elektroenergii v sel'skom khozyaystve Khar'kovskogo instituta
mekhanizatsii i elektrifikatsii sel'skogo khozyaystva.

IMSHENETSKIY, V.N., dotsent; ISAYENKO, A.V., inzh.

UKZ-type charge compensating device. Izv. vys. ucheb. zav.; energ.
7 no.9:83-86 S '64.

(MTRA 17:11)

1. Khar'kovskiy institut mekhanizatsii i elektrifikatsii sel'skogo
khozyaystva. Predstavlena kafedroy proizvodstva i raspredeleniya
elektroenergii v sel'skom khozyaystve.

IMSHENETSKIY, V.N., dotsent; ISAYENKO, A.V., inzh.

Automation of the preparation of a drive for the reclosing of a
sectionalizing switch. Izv.vys.ucheb.zav.; energ. 8 no.12:84.
(MIRA 19:1)
87 D '65.

1. Khar'kovskiy institut mekhanizatsii i elektrifikatsii sel'-
skogo khozyaystva. Predstavlena kafedroy preiz'edstva i
raspredeleniya elektroenergii v sel'skom khozyaystve. Submitted
December 19, 1964.

"APPROVED FOR RELEASE: 08/10/2001

CIA-RDP86-00513R000618610007-2

IMSHENIK, V.S.; NADEZHIN, D.K.

Gas dynamic model of a II-type supernova outburst. Astron.zhur.
(MIRA 17:10)
41 no.5 829-841. S-0 '64.

APPROVED FOR RELEASE: 08/10/2001

CIA-RDP86-00513R000618610007-2"

IMSHENNICK, B.K.

The Committee on Stalin Prizes (of the Council of Ministers USSR) in the fields of science and inventions announce that the following scientific works, popular scientific books, and textbooks have been submitted for competition for Stalin Prizes for the years 1952 and 1953. (Sovetskaya Kultura, Moscow, No. 2244, 20 Feb - 3 Apr 1954)

Name	Title of Work	Nominated by
Gubkin, S.I.		
Moguchiy, L.N.	"Deformability of Magnesium Alloys"	Institute of Metallurgy, Academy of Sciences USSR
Savitskiy, L.N.		
Zatulovskiy, M.I.		
Mikityuk, V.D.		
Volkov, S.S.		
Chirkov, B.P.		
<u>Imshennik, B.K.</u>		

SO: W-30604, 7 July 1954

INSHENNIK K.P. and N.A. BUKHMAN

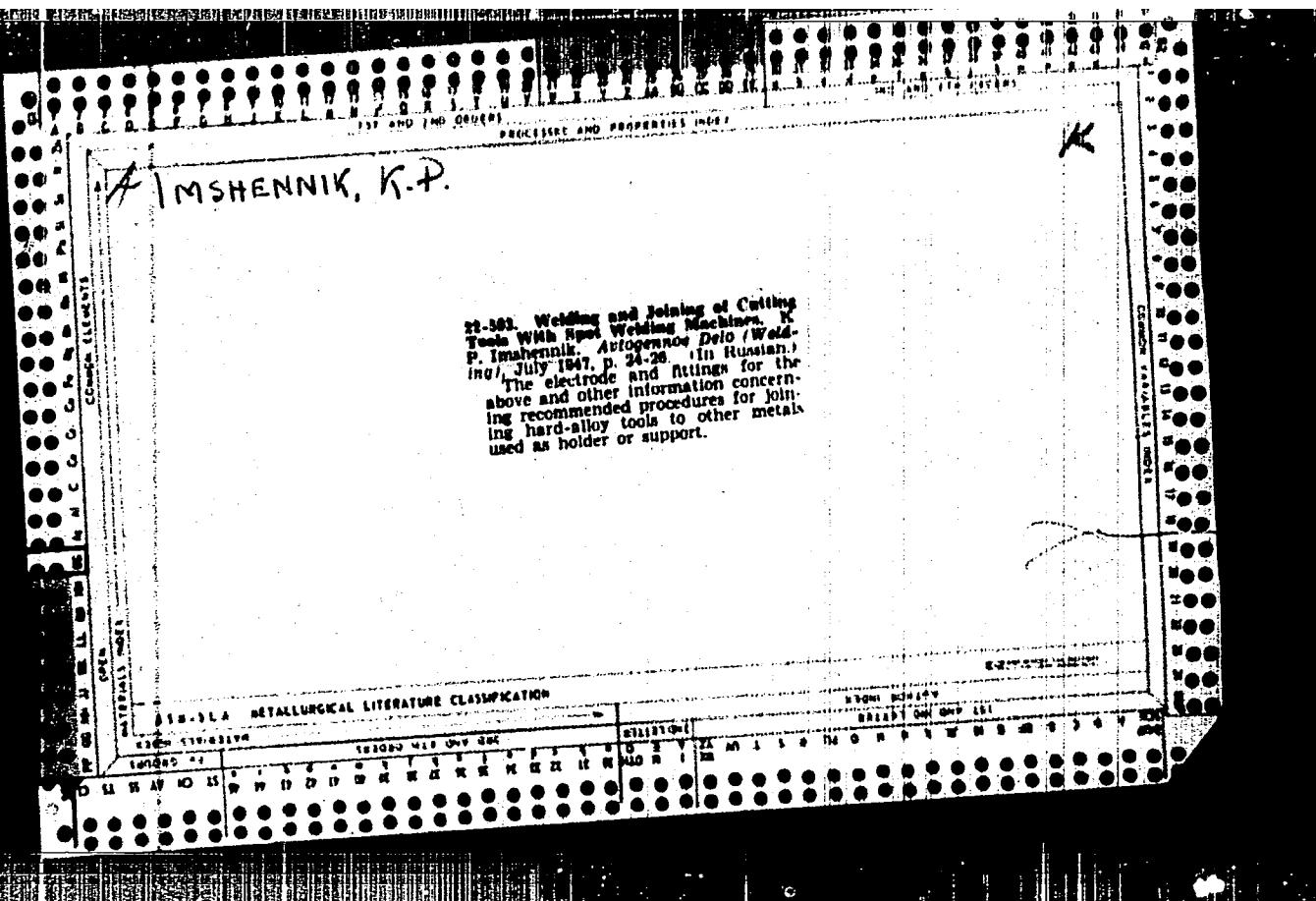
Svarka zagotovok instrumenta po metodu Ignat'eva no stykovykh mashinakh; instruktsiiia slia mastera i tekhnologa po svarke. Moskva, Mashgiz, 1944. 17 p. deagrs.

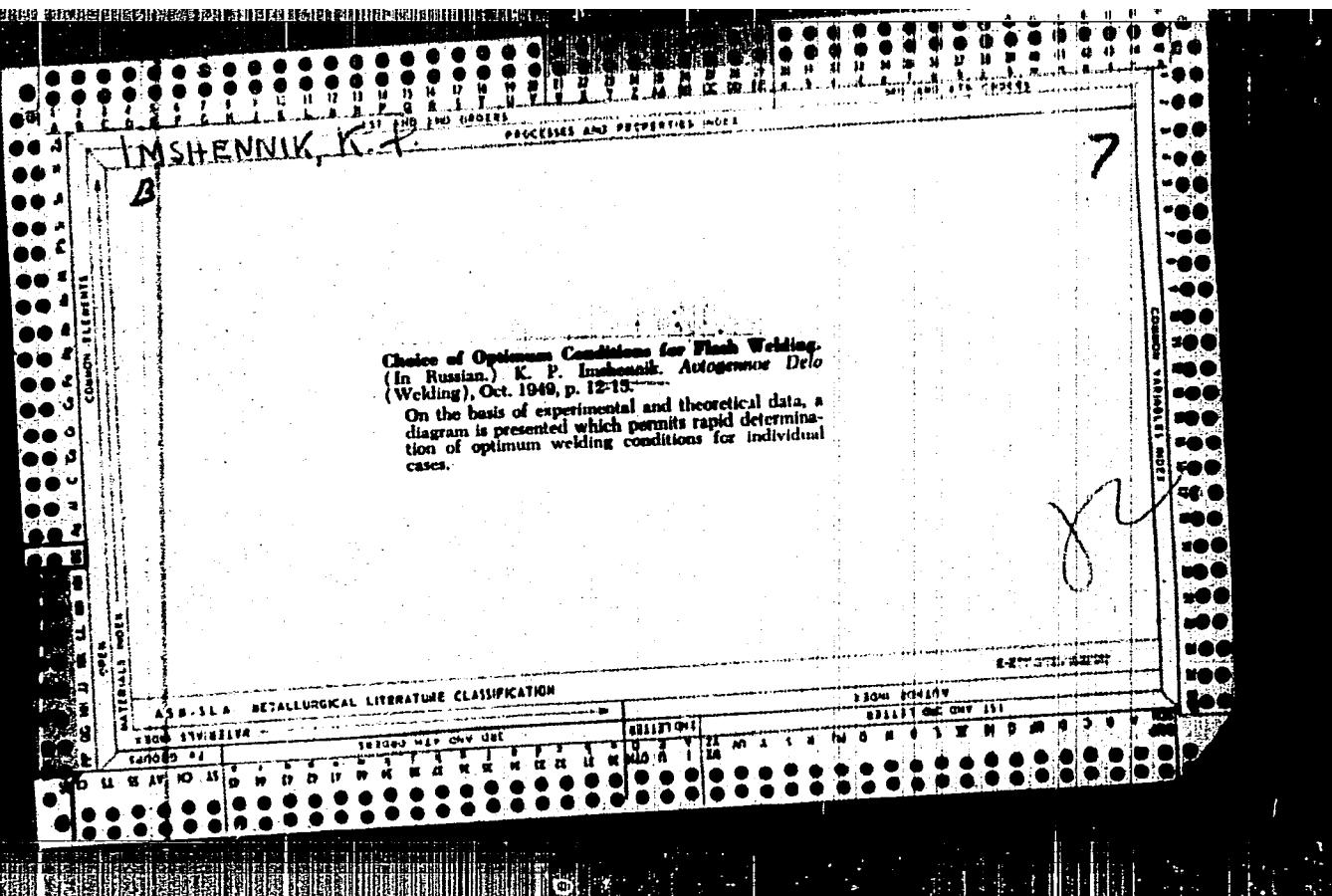
At head of title: Vsesoiuznyi nauchno-issledovatel'skii instrumental'nui institut.

Butt welding of half-finished tools according to Ignat'ev's method; instructions for skilled workmen and welding technologists.

DLC: TS227.B92

SO: Manufacturing and Mechanical Engineering in the Soviet Union, Library of Congress, 1953.





IMSHENNIK, K. P.
IMSHENNIK, K. P.

USSR/Engineering - Welding, Processes Nov 51

"Nature and Role of Fusion Process in Butt Welding," Prof A. S. Gel'man, Dr Tech Sci, TsvNITMASH, K. P. Imshennik, Cand Tech Sci, VNIIM MSS, N. S. Kabanov, Cand Tech Sci, TsvNITMASH

"Arzagan Dels" No 11, pp 11-15

Discusses results of studying fusion processes with rapid motion-picture camera and oscillograph. Establishes formation of molten metal bridges and determines

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USSR/Engineering - Welding, Processes (Contd) Nov 51

exlatence time of each bridge as equal to 0.002 sec. Welding zone, as was observed, contains considerable amounts of CO and CO₂ in atm, which factors, combined with sharp decrease in O content, protect surfaces of molten metal against oxidation.

200763

ULITSKIY, Ye.Ya.; IMSHENNIK, K.P., nauchnyy redaktor; KONTSEVAYA, E.M.,
redaktor; KRYNOCHKINA, K.V., tekhnicheskiy redaktor.

[Technological methods for economizing on high-speed steel]
Tekhnologicheskie sposoby ekonomii bystrorezhushchei stali.
Moskva, Vses. uchebno-pedagog. izd-vo Trudreservisdat, 1954.
45 p.

(MLRA 7:12)

(Tool steel)

DASHENNIK, K.P.; BUKHMAN, N.A.; VLADISLAVLEV, V.S., professor, retsensent;
KOLLI, A.Ya., inzhener, redaktor; MATVEIEVA, Ye.N., tekhnicheskiy
redaktor.

[Technology of soldering hard-alloy cutting tools] Tekhnologiya
paiki tverdosplavnogo instrumenta. Moskva, Gos. nauchno-tehn. izd-
vo mashinostroit. lit-ry, 1954. 160 p. (MLRA 8:2)
(Cutting tools) (Solder and soldering)

IMSHENNIK, K.P.

32-6-19/54

AUTHOR:

IMSHENNIK, K.P., LANDA, V.A.

TITLE:

The Application of the Electronographic Method of the Investigation
of Oxide Films on the Surface of Hard Alloys. (Применение электро-
графического метода на поверхности твердых сплавов, Russian)
Zavodskaya Laboratoriya, 1957, Vol 23, Nr 6, pp 699-701 (U.S.S.R.)

PERIODICALS:

ABSTRACT:

The electronographic method is employed for the investigation of partly oxide sulphide films on metal surfaces. BK8, T5K10, T13K6 and T6OK6 oxides were determined and treated before and after oxidation on the films of hard alloys. In the case of the hard alloy BK-8 it was confirmed that the diffraction lines correspond both to the WC carbide tungsten lines as well as to the WO_3 tungsten oxide. The electrograms taken of the T5K10- and T11K6 hard alloy surfaces had a weak carbide-tungsten line. This is explained by the fact that if carbide titanium is contained in the T6OK6 hard alloy surfaces a hard WC is formed in the TiC solution, which leads to a decrease of the WC of the free phase in the hard alloy. It was proved by the electrograms taken from the T6OK6 hard alloy surfaces that they are titanoxides which are in the modification basis of rutile. Titanoxides are known to be chemically very stable and it is very difficult to remove them, which explains the bad penetrability of the T30K4 soldered parts and of T6OK6 titanium hard alloys. The electrogram

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32-6-19/54

The Application of the Electronographic Method of the Investigation
of Oxide Films on the Surface of Hard Alloys.

taken from the surface of the T60K6 hard alloy did not confirm the existence of titano-oxide and the electrogram lines corresponded to the TiC carbide titanium lines. Therefore the surface must be cleaned by grinding when titanium hard alloys are soldered. Titano-oxides are removed with the aid of the following reaction:

$TiO_2 + 2 K_2S_2O_7 = Ti(SO_4)_2 + 2 K_2SO_4$. The titanium salt obtained can easily be washed away with water. Electrograms were made in order to test this theory. The hard alloy was washed with boiling water and what was left was removed from the paper by grinding (TiO_2 and $K_2S_2O_7$). The electrograms of T30K4 and T60K6 proved the presence of TiO_2 of the rutile modification at a temperature of 1000°, whilst that of T15K6 proved WO_3 -tungsten oxide. Rutile is to be considered as titano-oxide. In order to obtain the radiogram for T60K6, measurements according to the formula $R = d \cdot L^{\frac{1}{2}}$ are carried out, from which $L = 24m0, d = 2,19$, and thus the intensity = 30 can be computed.

ASSOCIATION:

PRESENTED BY:

SUBMITTED:

AVAILABLE:

Card 2/2

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1. Vsesoyuznyy nauchno-issledovatel'skiy instrumental'nyy
institut.

SLEZNIKOV, G.I., inzh.; ANIENKOVA, Ye.G., kand.tekhn.nauk; GRUDOV, P.P., kand.tekhn.nauk [deceased]; DEGTYARENKO, N.S., kand.tekhn.nauk; IMSHENNICK, K.P., kand.tekhn.nauk; KASENKOVA, M.A., kand.tekhn.nauk; MEL'NIKOV, N.F., inzh.; MALOV, A.N., kand.tekhn.nauk; POKROVSKIY, B.V., inzh.; POLYAK, S.M., kand.tekhn.nauk; POLYANSKIY, A.N., kand.tekhn.nauk; POPILOV, L.Yu., inzh.; POPOV, V.A., kand.tekhn.nauk; RUBINSHTEYN, S.A., kand.tekhn.nauk; SOKOLOV, N.L., inzh.; SHAMIRGON, S.A., inzh.; SHESTOPAL, V.M., kand.tekhn.nauk; SHUKHOV, Yu.V., kand.tekhn.nauk; ACHERKAN, N.S., prof., doktor tekhn.nauk, glavnny red.; VLADISLAVLEV, V.S., red. [deceased]; POZDNYAKOV, S.N., red.; ROSTOVYKH, A.Ya., red.; STOLBIN, G.B., red.; CHERNAVSKIY, S.A., red.; KRYLOV, V.I., inzh, red.; KARGANOV, V.G., inzh., red.graficheskikh rabot; SOKOLOVA, T.F., tekhn.red.

[Metalworking handbook in five volumes] Spravochnik metallista v piati tomakh. Chleny rad.soveta: V.S.Vladislavlev i dr. Moskva, Gos.nauchno-tekhn.izd-vo mashinostroit. lit-ry. Vol.3. Book 2. [Ferrous and nonferrous metal products] Sortament chernykh i tsvetnykh metallov. 1958. 204 p. Vol.4. 1958. 778 p. (MIRA 12:1) (Metalwork)

DEGTYARENKO, N.S., kand.tekhn.nauk; VOLKOV, S.I., kand.tekhn.nauk;
PODOSENOVA, N.A., kand.tekhn.nauk; IMSHENNIK, K.P., kand.tekhn.
nauk; BRISKIN, Ya.I., inzh.; UVAROVA, A.F., tekhn.red.

[Technological processes for manufacturing metal-cutting tools;
handbook] Tekhnologiya izgotovleniya metallorezhushchikh instru-
mentov; rukovodящие материалы. Pod red. N.S.Degtiarenko.
Moskva, Gos.nauchno-tekhn.izd-vo mashinostroit.lit-ry. No.1.
[Preparatory operations] Zagotovitel'nye operatsii. 1959. 162 p.

l. Moscow. Vsesoyuznyy nauchno-issledovatel'skiy instrumental'nyy
institut.

(Metal-cutting tools) (Metalwork)

14(0)

SOV/32-25-4-69/71

AUTHOR:

Imshennik, K., Deputy Director, VNII for Scientific Work

TITLE:

P
Conference of Laboratory Workers of Plants Manufacturing Instruments and Machines (Konferentsiya rabotnikov laboratoriiv instrumental'nykh i mashinostroitel'nykh zavodov)

PERIODICAL:

Zavodskaya Laboratcriya, 1959, Vol 25, Nr 4, p 510 (USSR)

ABSTRACT:

From November 19 until 26, 1958 the Seventh Conference of Workers in Plants Manufacturing Instruments and Machines was held at the Vsesoyuznyy nauchno-issledovatel'skiy instrumental'nyy institut (VNII) (All-Union Scientific Research Institute of Instruments). There were 103 participants representing 59 organizations. Papers were read by cooperators of the VNII, representatives of the Central Plant Laboratories of the Plants "Frezer", "Kalibr", and others. They dealt with the successful work done in the past three years at the institute mentioned above as well as in the plants cited. It was concerned with new compositions of weakly alloyed and alloyed steels for instruments, and soldering and fluxing materials for fixing hard alloys, new materials for the protection of instruments against corrosion, a new design of instruments (Plant "Frezer"), the automation

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Instruments and Machines

of the chemical cleaning of files (File Manufacturers),
and hardening with high-frequency current heating (File
Manufacturers and Tashkentskiy instrumental'nyy zavod
(Tashkent Instrument Plant)) etc. It is recommended in the
decisions of the conference to complete the technology of
instrument manufacture according to the method of plastic
deformation, to develop new compositions of instrument steels
etc. The question of the standardized manufacture of in-
struments for plants operating with thermal processes was
also discussed, and it was recommended to improve the ex-
change of experience among plant laboratories.

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MIKHAYLOVA, P.K.; IMSHENNIK, K.P., kand. tekhn.nauk, red.; SEMENCHENKO, V.A., red. izd-va; DEMINA, N.F., tekhn. red.

[Methods for the structural metallographic analysis of hard alloys] Metodika strukturnogo metallograficheskogo analiza tverdykh splavov. Pod red. K.P. Imshennika. Moskva, Mashgiz, 1962. 38 p.

(MIRA 16:3)

(Nonferrous alloys--Metallography)
(Ceramic metals--Metallography)

S/020/60/131/06/16/071
B014/B007

AUTHOR: Imshennik, V. S.

TITLE: The Isothermal Burst of a Gas Cloud

PERIODICAL: Doklady Akademii nauk SSSR, 1960, Vol. 131, No. 6, pp. 1287 - 1290

TEXT: It is shown in the present paper that in the isothermal case an asymptotic solution for the problem of the burst of a gas cloud exists. In the investigation carried out forces of internal attraction and of the magnetic field are not taken into account. Equation (1) the particular solution of the one-dimensional gas dynamic equation for a constant temperature as suggested by A. D. Sakharov is given. This particular solution is brought into the forms (2) and (3) respectively for the case investigated, which are known from publications (Refs. 1-3). Solutions of this kind were obtained in papers by L. I. Sedov et al. (Ref. 5) for the isoentropic motion of a gas. As the most important property of this solution its asymptotic character for an arbitrary initial distribution of the density and the velocity of motion of the gas are described. In the case of an isoentropic burst there exists no asymptotic solution, and it is therefore possible, by using the solution for the isothermal burst, immediately to show the asymptotic

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The Isothermal Burst of a Gas Cloud

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character of solutions (2) and (3) respectively for the initial distribution of gas density. Two regions are obtained for the solution of the initial distribution of gas density: the region of isothermal incident rarefaction waves, and the region of waves reflected from the center. It is further shown that within the entire region the reflected waves coincide asymptotically with the solutions (2) and (3) respectively. For the incident rarefaction waves this does not hold. The author assumes that (2) and (3) are asymptotic also for an arbitrary initial density distribution and the velocity of motion of the gas. Finally, the author gives a criterion (9) for the applicability of the formula for the isothermal burst, in which only processes like the so-called true absorption of emission are taken into account in the gas. In conclusion, the author thanks A. D. Sakharov, Yu. A. Romanov, and I. N. Mikhaylov for discussing the problem. There are 8 Soviet references.

PRESENTED: December 25, 1959, by A. D. Sakharov, Academician

SUBMITTED: March 5, 1959

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S/057/61/031/006/002/019

B109/B207

*24.2120 (3717, 3817, 1538)*AUTHORS: Imshennik, V. S., Morozov, Yu. I.TITLE: Analysis of the instability of a beam of charged particles
in an electron plasma

PERIODICAL: Zhurnal tekhnicheskoy fiziki, v. 31, no. 6, 1961, 640-649

TEXT: In continuation of papers by D. Bohm, E. P. Gross (Phys. Rev., 75, 1851, 1949), A. I. Akhiyezer, Ya. B. Faynberg (ZhETF, 11, 1262, 1951), and G. V. Gordeyev (ZhETF, 27, 24, 1954), the instability caused by excitation of longitudinal electron vibrations is studied on the assumption that the velocity of the beam particles be considerably higher than the thermal velocity of plasma electrons. According to L. D. Landau and M. Ye. Gertsenshteyn, the dispersion relation reads,

$$\frac{4\pi e^2}{km} \int_0^\infty \frac{df}{du} \frac{du}{p + iku} = 1 \quad (1),$$

where $p = \Gamma - i\Omega$; the distribution function reads

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$$f_0 = n_0 \left\{ \frac{1}{\sqrt{2\pi}V_0} \exp \left[-\frac{u^2}{2V_0^2} \right] + \frac{\alpha}{\sqrt{2\pi}V_1} \exp \left[-\frac{(u-U)^2}{2V_1^2} \right] \right\} \quad (2)$$

($\alpha = mn_1/Mn_0$; M denotes the mass of the beam particles, m the electron mass, n_1 the density of the beam particles, n_0 the density of the electron plasma, and U the beam velocity).

$$\frac{1}{\mu x^2} (1 + i\sqrt{\pi}\xi_0 W(\xi_0)) + \frac{\alpha}{\nu x^2} (1 + i\sqrt{\pi}\xi_1 W(\xi_1)) = -1, \quad (3)$$

is obtained from (1) and (2), where

$$\begin{aligned} \mu' &= \frac{V_0}{U} = \frac{1}{U} \sqrt{\frac{k_0 T_0}{m}}; \quad \nu' &= \frac{V_1}{U} = \frac{1}{U} \sqrt{\frac{k_0 T_1}{M}}; \quad x = \frac{kU}{\Omega_0}; \\ \Omega_0 &= \sqrt{\frac{4\pi n_0 e^2}{m}}, \\ \xi_0 &= \frac{\omega}{\sqrt{2}\mu x} + i \frac{\gamma}{\sqrt{2}\mu x}; \quad \xi_1 = \frac{1}{\sqrt{2}\nu} \left(\frac{\omega}{x} - 1 \right) + i \frac{1}{\sqrt{2}\nu x}; \\ \omega &= \frac{\Omega}{\Omega_0}; \quad \gamma = \frac{\Gamma}{\Omega_0}. \end{aligned} \quad \left. \right\} \quad (4)$$

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W denotes the functions

$$W(t) = e^{-\mu} \left(1 + \frac{2i}{\sqrt{\pi}} \int_0^t e^{it'} dt' \right). \quad (5)$$

investigated by V. N. Fadeyeva and N. M. Terent'yev (Tablitsy znacheniy integrala veroyatnostey ot kompleksnogo argumenta, M., 1954). If (3) is applied to the case of a monochromatic beam and a cold plasma, the following equation holds:

$$\frac{1}{\eta^2 - 3x^2\mu} + \frac{\alpha}{(\eta - x)^2 - 3x^2\nu} = 1, \quad \eta = \omega + i\gamma. \quad (6)$$

from which

$$\frac{1}{\sqrt{2\mu+x}} |\omega + i\gamma| \gg 1, \quad \frac{1}{\sqrt{2\nu+x}} |\omega - x + i\gamma| \gg 1. \quad (7)$$

follows for the limit of applicability of hydrodynamic approximations, and from which at $\nu = \mu = 0$, the simple relation

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$$\left. \begin{aligned} x_{\max} &= (1 + \alpha^{1/4})^{1/4}, \\ \omega(x_{\max}) &= (1 - \alpha^{1/4})^{1/4}. \end{aligned} \right\} \quad (10)$$

follows, where $\chi_{\max}(\alpha)$ is the wave number of the limit of vibration excitations. Furthermore,

$$\left. \begin{aligned} x_{\text{opt}} &\approx 1 + \frac{3}{2^{1/4}} \alpha^{1/4} - \frac{1}{4} \alpha, \\ \omega(x_{\text{opt}}) &\approx 1 - \frac{1}{2^{1/4}} \alpha^{1/4} + \frac{3}{2^{1/4}} \alpha^{1/4} - \frac{5}{16} \alpha, \\ \gamma(x_{\text{opt}}) &\approx \frac{3^{1/4}}{2^{1/4}} \alpha^{1/4} - \frac{3^{1/4}}{2^{1/4}} \alpha^{1/4} + \frac{3^{1/4}}{16} \alpha. \end{aligned} \right\} \quad (13)$$

(Fig. 1a), where $\chi_{\text{opt}} = \chi$ for maximum $\gamma(x)$ (Fig. 1b: $\gamma(\alpha)$, $\omega(\alpha)$ at $\chi = \chi_{\text{opt}}$). Fig. 2 shows the course of $\gamma(\chi)$, $\omega(\chi)$ at $\alpha = 10^{-3}$. In first approximation, the heat-correcting equations ($\mu \neq 0$, $v \neq 0$) are for $\alpha \ll 1$ read

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$$\left. \begin{aligned} z_{\text{opt}} &\approx 1 + \frac{3}{2} \mu + \frac{3 \cdot 2^{1/2}}{\alpha^{1/2}} v, \\ \omega(z_{\text{opt}}) &\approx 1 + \frac{3}{2} \mu + \frac{3}{2^{1/2} \alpha^{1/2}} v, \\ \gamma(z_{\text{opt}}) &\approx \frac{3^{1/2}}{2^{1/2}} \alpha^{1/2} \left(1 - \frac{\mu}{2}\right) - \frac{3^{1/2}}{2^{1/2} \alpha^{1/2}} v. \end{aligned} \right\} \quad (15).$$

For $\alpha = 1$ one has

$$z_{\text{opt}} \approx \sqrt{3} + \frac{7 \cdot 3^{1/2}}{2} v, \quad \omega(z_{\text{opt}}) \approx \frac{\sqrt{3}}{2} + \frac{7 \cdot 3^{1/2}}{4} v, \quad \gamma(z_{\text{opt}}) \approx \frac{1}{2} - \frac{9}{4} v. \quad (16).$$

Assuming $\mu = v$ and using (10) one obtains

$$\left. \begin{aligned} z_{\text{max}} &= (1 + \alpha^{1/2})^{1/2} + \frac{3}{2} (1 + \alpha^{1/2})^{1/2} \mu + \frac{3}{2} (1 + \alpha^{1/2})^{1/2} \frac{1}{\alpha^{1/2}} v, \\ \omega(z_{\text{max}}) &= (1 + \alpha^{1/2})^{1/2} + \frac{1}{2} (1 + \alpha^{1/2})^{1/2} (3 + 4\alpha^{1/2}) \mu - \frac{1}{2} (1 + \alpha^{1/2})^{1/2} \frac{1}{\alpha^{1/2}} v. \end{aligned} \right\} \quad (17).$$

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In accordance with (7), these equations lead to

$$\frac{\sqrt{1/2}}{\alpha^{1/3}} \ll 1, \mu^{1/2} \ll 1 \quad (18).$$

If, however,

$$\frac{\sqrt{1/2}}{\alpha^{1/3}} \gg 1, \mu^{1/2} \ll 1 \quad (19),$$

$$\Gamma = \frac{\pi}{2} \frac{\Omega^3}{k^2} \left. \frac{df_0}{du} \right|_{u=\frac{\Omega}{k}} \quad (20a)$$

is obtained from (3) in first approximation. This permits a simple estimation of the maximum γ ; χ_{opt} is determined from the condition $(\chi - \omega)^2 = \nu \chi^2$, so that for $\omega \approx 1$ one finds $\gamma \approx \frac{\alpha}{\nu}$. R. I. Izraileva (unpublished paper) determined the limits of the range of vibration excitations on the basis of (3); Fig. 3 shows the dependence of the limits

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χ_{lower} (I), χ_{upper} (II), $\chi_{\text{hydro}} = \chi_{\text{max}}$ (III) on v at $\alpha = 10^{-3}$, $\mu = 0.5 \cdot 10^{-4}$.
The comparatively great difference between χ_{hydro} and χ_{upper} is due to

(18). If

$$\varphi = n_0 a_0 \exp[i(\vec{k}\vec{r}) + pt], \quad \varphi_1 = \alpha' n_1 a_1 \exp[i(\vec{k}\vec{r}) + pt] \quad (\text{I})$$

is substituted for the perturbed values of the plasma and the beam,

$$\left| \frac{a_1}{a_0} \right| = \frac{M(\alpha)}{\alpha'}, \quad M(\alpha) = \sqrt{[\omega^2 + \gamma^2 - 1]^2 + 4\gamma^2},$$

$$\tan \varphi = \pm \frac{2\gamma\omega}{\omega^2 - \gamma^2 - 1}, \quad \cos \varphi = \pm \frac{\omega^2 - \gamma^2 - 1}{M(\alpha)}, \quad \alpha' = \frac{n_1}{n_0}. \quad (21)$$

follows from the hydrodynamic equations on the assumption that (18) holds for the amplitude and phase of vibrations (+electron beam, - ion beam).
If only $\alpha = 1$ (electron beam) is considered, equation

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$$\left. \begin{aligned} E &= E_0 \exp\left(\frac{\Omega_0 t}{2}\right) \cos \psi, \\ \rho_1 &= n_0 E_0 \frac{e \sqrt{3}}{m U \Omega_0} \exp\left(\frac{\Omega_0 t}{2}\right) \cos\left(\psi - \frac{\pi}{6}\right), \\ \rho_0 &= n_0 E_0 \frac{e \sqrt{3}}{m U \Omega_0} \exp\left(\frac{\Omega_0 t}{2}\right) \cos\left(\psi - \frac{5}{6}\pi\right), \\ u_1 &= E_0 \frac{e}{m \Omega_0} \exp\left(\frac{\Omega_0 t}{2}\right) \cos\left(\psi - \frac{4}{3}\pi\right), \\ u_0 &= E_0 \frac{e}{m \Omega_0} \exp\left(\frac{\Omega_0 t}{2}\right) \cos\left(\psi - \frac{2}{3}\pi\right). \end{aligned} \right\} \quad (22)$$

is obtained for the electric field E and for velocity perturbations in the plasma u_0 and in the beam u_1 , in the particular case of an asymptotic wave; here

$$\psi = \sqrt{3} \frac{\Omega_0}{U} x - \frac{\sqrt{3}}{2} \Omega_0 t \quad (\text{II}),$$

wherefrom all other properties of the waves can be deduced. The authors thank Yu. I. Kuznetsov, L. I. Shibareshov, Yu. A. Romanov, E. Z. Tarumov, V. A. Teplyakov, and G. F. Filippov for valuable advice. There are 3

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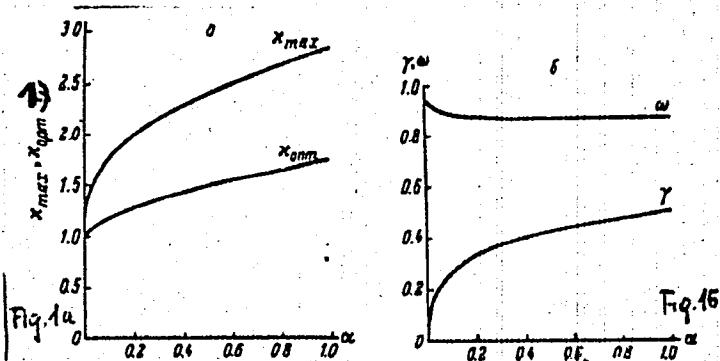
S/057/61/031/006/002/019
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Analysis of the instability of a beam of...

figures, 1 table, and 16 references: 7 Soviet-bloc and 9 non-Soviet-bloc.

SUBMITTED: September 16, 1960

Legend to Fig. 1a:

1) x_{\max} , x_{opt} 

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26.23//
29572
S/033/61/038/004/006/010
EO32/E514

AUTHOR: Imshennik, V. S.

TITLE: On the thermal conductivity of plasma

PERIODICAL: Astronomicheskiy zhurnal, 1961, Vol.38, No.4,
pp.652-655

TEXT: The thermal conductivity can be computed by the Chapman-Anskog method as described by S. Chapman and T.G.Cowling (Ref.1: The mathematical theory of non-uniform gases", Cambridge University Press, 1939). Such calculations have been reported by Chapman (Ref.2: Astrophys. J., 120, 151, 1954) and the quantitative result obtained by him turned out to be very inaccurate. Chapman confined his calculations to the first approximation only and assumed that the correction which would be introduced by taking the second approximation in the case of plasma would be less than 25%. However, this assumption is only correct in the case of a simple gas. It may be shown that the second approximation leads to an increase in the thermal conductivity of plasma by a factor of 2.5 as compared with the first approximation in the case of $Z = 1$, and by a factor of 8 in the case of $Z \gg 1$. The thermal

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conductivity monotonically increases with Z and M, where M is the ratio of the ion and the electron masses. The present author has carried out calculations using the method described in Ref.1 and has found the following expression for the thermal conductivity of plasma

$$\begin{aligned} [\lambda]_2 = [\lambda_e]_1 \cdot \frac{433}{604} \cdot & \frac{1 + \frac{180\sqrt{2}}{433} \frac{1}{Z} + \frac{1375\sqrt{2}}{144} \frac{1}{Z} \frac{1}{M^{1/2}} +}{1 + \frac{53}{151\sqrt{2}} \cdot Z + \frac{72}{151\sqrt{2}} \cdot \frac{1}{Z} +} \\ & + \frac{6875}{886} \frac{1}{Z^2} \frac{1}{M^{1/2}} + \frac{265\sqrt{2}}{886} \frac{1}{Z^2} \frac{1}{M^{1/2}} + \frac{755}{433} \frac{1}{Z^2} \frac{1}{M^{1/2}} + \frac{180\sqrt{2}}{433} \frac{1}{Z^2} \frac{1}{M^{1/2}} \\ & + \frac{72875}{21744} \frac{1}{M^{1/2}} + \frac{1375\sqrt{2}}{144} \frac{1}{Z} \frac{1}{M^{1/2}} + \frac{1375}{302} \frac{1}{Z^2} \frac{1}{M^{1/2}} \end{aligned} \quad (1)$$

where as before (Ref.1)

$$[\lambda_e]_1 = \frac{75}{64} \cdot k \cdot \left(\frac{kT}{\pi m_e} \right)^{1/2} \cdot \left(\frac{2kT}{e^2} \right)^{1/2} \cdot \frac{1}{L} \quad (2)$$

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In these expressions k is Boltzmann's constant, m_e is the electronic mass, T is the plasma temperature (assumed equal for ions and electrons), $L = \ln [1 + (4dkT/e^2)^2]$ and d is the average distance between the plasma particles. In order to show that the second approximation is entirely sufficient, one can use the Lorentz approximation in the case of large Z and N , i.e. the ions are stationary and the electrons do not collide with each other. The problem can then be solved exactly and the electron distribution function is of the form

$$\Phi(x, v_x, v) = n\beta^3 \pi^{-\frac{3}{2}} \exp(-\beta^2 v^2) [1 + v_x \cdot h_x(v)], \quad (7)$$

$$\beta = \left(\frac{m_e}{2kT}\right)^{\frac{1}{2}}, \quad h_x(v) = (4 - \beta^2 v^2) \frac{v^4}{CT} \cdot \frac{dT}{dx},$$

$$C = 2\pi n Z \left(\frac{e^2}{m_e}\right)^{\frac{1}{2}} L,$$

where n is the number of electrons per unit volume. Hence one can calculate the energy flux $q_x = \int v_x \cdot \frac{e}{2} \cdot v^2 \cdot \vec{\Phi}(x, v_x, v) dv$.

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On the thermal conductivity of plasma ²⁹⁵⁷²
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and the corresponding thermal conductivity is (Ref. 6: L. Spitzer, Jr.:
 "Physics of fully ionized gases" (Russian translation, Moscow,
 1957))

$$\lambda_A = \frac{3.60}{Z} \cdot k \left(\frac{kT}{\pi m_e} \right)^{1/2} \left(\frac{2kT}{e^2} \right)^2 \frac{1}{L}. \quad (8)$$

On the other hand, when $Z \gg 1$ it can be shown from Eqs. (1) and
 (2) that

$$[\lambda]_2 = \frac{433 \cdot \sqrt{2}}{212 \cdot Z} \cdot [\lambda_c]_1 = \frac{3.39}{Z} k \left(\frac{kT}{\pi m_e} \right)^{1/2} \left(\frac{2kT}{e^2} \right)^2 \cdot \frac{1}{L}. \quad (6)$$

Comparison of Eqs. (6) and (8) show that the difference between
 $[\lambda]_2$ and λ_A is less than 10%. In the special case of a
 hydrogen plasma $Z = 1$ and $\sqrt{N} = 42.9$. There,

$$[\lambda]_2 = 0.845 \cdot k \left(\frac{kT}{\pi m_e} \right)^{1/2} \left(\frac{2kT}{e^2} \right)^2 \cdot \frac{1}{L} + 0.033 \cdot k \left(\frac{kT}{\pi m_e} \right)^{1/2} \left(\frac{2kT}{e^2} \right)^2 \cdot \frac{1}{L}. \quad (4)$$

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It is concluded that the thermal conductivity, calculated from Eqs. (1), (4) and (6), gives the correct result to within 10 to 20% for all the possible values of Z and M. There are 7 references: 2 Soviet (1 a translation from English) and 5 non-Soviet. The other three English-language references read as follows: Ref. 3: R. Landshoff, Phys. Rev., 76, 804, 1949; Ref. 4: R. S. Cohen, L. Spitzer, P. Routly, Phys. Rev., 80, 230, 1950; L. Spitzer, R. Härn, Phys. Rev., 89, 977, 1953.

SUBMITTED: September 23, 1960

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X

S/208/62/002/002/002/014
D234/D301

AUTHOR: Imshennik V.S. (Moscow)

TITLE: Numerical integration of differential equations of the structure of a shock wave in plasma

PERIODICAL: Zhurnal vychislitel'noy matematiki i matematicheskoy fiziki, v. 2, no. 2, 1962, 207 - 216

TEXT: The author quotes the equations in question from a previous paper, and considers only the case when radiation can be neglected. The equations are transformed into a single differential equation of the first order, containing electron temperature as a function of mass velocity. Dimensionless variables are introduced. Results of qualitative analysis of the equation for the values of parameters $\gamma = 5/3$, $Z = 1$, $\phi_0 = 3.20$, ζ being the effective exponent of the adiabatic curve, Z the ion charge [Abstractor's note: ϕ_0 not defined], are described in detail. It is stated that the qualitative conclusions remain valid also for other values of the parameters (in the first place, the conclusion of the existence of a continuous and a discontinuous solution). Results of numerical

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Numerical integration of differential ... D234/D301

integration for several values of the parameters are given. The author expresses his gratitude to V.D. Shafranov for discussion and to M.G. D'yakonikhina for numerical integration of the equations. There are 9 figures, 1 table and 5 Soviet-bloc references.

SUBMITTED: October 27, 1961

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IMSHENNIK, V.S.

Zemplene's theorem for a hot gas with radiation. Astron. zhur.
39 no.3:545-546 My-Je '62. (MIRA 15:5)
(Gases at high temperatures)

3.2320 (also 1049)

34014

24.6711
17.4100
10.1410

8/056/62/042/001/036/048
B125/B102

AUTHOR: Imshennik, V. S.

TITLE: Structure of shock waves in a high-temperature dense plasma

PERIODICAL: Zhurnal eksperimental'noy i teoreticheskoy fiziki, v. 42,
no. 1, 1962, 236-246

TEXT: The structure of shock waves in a plasma qualitatively studied by Ya. B. Zel'dovich (ZhETF, 32, 1126, 1957) and quantitatively studied by V. D. Shafranov (ZhETF, 32, 1453, 1957) can be satisfactorily described with lacking external fields but by taking account of the radiation by hydrodynamic two-temperature approximation with allowance for electronic heat conduction and heat transfer. The present theory applies only for a sufficiently dense plasma. An electrically neutral ideal plasma can be described by the equation of state

$p = p_i + p_e$, $E = E_i + E_e$, $p_i = NkT$, $p_e = NZk\Theta$, $E_i = p_i/(\gamma-1)q$,
 $E_e = p_e/(\gamma-1)q$ (1.3) of an ideal gas (where in general $\gamma \neq 5/3$). The equation of motion for this plasma is

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$$\left(1 + \frac{Zm}{M}\right) \frac{\partial}{\partial t} (\rho v_i) = - \frac{\partial \Pi'_{ik}}{\partial x_k}, \quad \Pi'_{ik} = \Pi_{ik} + \pi_{ik}, \quad (1.4),$$

$$\Pi_{ik} = \rho \delta_{ik} + \left(1 + \frac{Zm}{M}\right) \rho v_i v_k - \sigma_{ik}.$$

the energy conservation law

$$\frac{\partial}{\partial t} \left[\rho \left(1 + \frac{Zm}{M}\right) \frac{v^2}{2} + \rho (E_i + E_e) + u_r \right] = - \operatorname{div} \left\{ \rho v \left[\left(1 + \frac{Zm}{M}\right) \frac{v^2}{2} + \right. \right. \\ \left. \left. + w_i + w_e \right] + F_i + F_e - (\sigma'_i v) - (\sigma'_e v) + F_r \right\}. \quad (1.6)$$

and the entropy equation

$$\rho \Theta dS_e/dt = - \operatorname{div} (F_e + F_r) + \operatorname{div} (\sigma'_e v) - \\ - v \operatorname{Div} (\sigma'_e - \pi) + c(\Theta, T, \rho) - \partial u_r / \partial t. \quad (1.11)$$

for an electron gas under the action of radiation, T and Θ are the electron and ion temperatures respectively, $\Theta \neq T$. The structure of a plasma shock wave with allowance for emission is described by

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$$\rho v = \rho_1 v_1 = J,$$

$$\rho + \rho v^2 + \pi_{xx} = \rho_1 + \rho_1 v_1^2 + \pi_{xx1},$$

$$v^2/2 + w - j^{-1} \kappa_\theta d\Theta/dx + j^{-1} F_{rx} = v_1^2/2 + w_1 + j^{-1} F_{rx1}.$$

$$\frac{dE_\epsilon}{dx} + p_\epsilon \frac{d}{dx} \left(\frac{1}{\rho} \right) = \frac{1}{J} \frac{d}{dx} \left(\kappa_\theta \frac{d\Theta}{dx} \right) - \frac{1}{J} \frac{dF_{rx}}{dx} + \frac{c_0}{J} \frac{d\pi_{xx}}{dx} + \frac{c(\Theta, T, \rho)}{J}. \quad (1.13-1.16)$$

where $\epsilon = (mZ + M)N; j > 0$. The equations (1.13) to (1.16) are consistent with the corresponding equations of V. D. Shafranov and B. I. Braginskiy (ZhETF, 35, 459, 1957). The rate of propagation in the isothermal case is always lower than in the adiabatic case. The nontrivial case

$$c_{1is} < v_1, c_{1ad} < v_1, c_{2ad} > v_2, c_{2is} < v_2 \quad (2.3)$$

which is therefore possible does not characterize the instability of the front of the shock wave with respect to spontaneous emission of the perturbations with $\lambda < \lambda$ propagating isothermally. The subscripts is and ad

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denote "isothermal" and "adiabatic", respectively. The exact criterion
 $c_{2is}^* = v_2$ with $c_{is}^* = \left[(\partial p_e / \partial e)_\theta + (\partial p_i / \partial e)_{S_1} \right]^{1/2}$ for the boundary

follows from the condition $c_{1is} < v_1$, $c_{1ad} < v_1$, $c_{2ad} > v_2$, $c_{2is} > v_2$
 between steady and nonsteady solutions of the set of equations (1.13)-(1.16)
 for a perturbation characterized by two parameters. From $c_{2is}^* = v_2$ and
 from the Hugoniot adiabates

$$at_2/u_2 + \frac{1}{2} u_2^2 + u_2 = at_1 + \frac{1}{2} u_1^2 + b, \quad (3.2)$$

$$\frac{1}{2} u_2^2 + bt_2 + \frac{1}{2} au_2^2 = \frac{1}{2} u_1^2 + bt_1 + \frac{1}{2} au_1^2, \quad (3.3)$$

$$a = 1 + Z, \quad b = \frac{\gamma}{\gamma - 1} (1 + Z), \quad \alpha = \left[\frac{(M + Zm) u_1^2}{k} \right]^{\frac{1}{2}} \frac{c}{v_1}$$

with $t = kT(M + Zm)v_1^2$ written in dimensionless form and with allowance for
 radiation equation

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$$\frac{d\theta}{dv} = \left(w_s + w_t + \frac{v^2}{2} + \frac{F_{rx}}{I} - w_1 - \frac{F_{rxt}}{I} - \frac{v_1^2}{2} \right) \left(\frac{A\theta}{v} + \frac{\gamma+1}{\gamma-1} v + \frac{1}{\gamma-1} \frac{\sigma}{I} \frac{dx_{xx}}{dv} + \frac{\gamma}{\gamma-1} \frac{x_{xx}}{I} - \frac{\gamma}{\gamma-1} \frac{p_1}{I} - \frac{\gamma}{\gamma-1} \frac{x_{xxt}}{I} - \frac{\gamma}{\gamma-1} v_1 \right) X \\ \times \left\{ \frac{A}{\gamma-1} \left(w_1 + \frac{F_{rxt}}{I} + \frac{v_1^2}{2} - w_s - w_t - \frac{v^2}{2} - \frac{F_{rx}}{I} \right) + \frac{c(\theta, T, p) x_s}{I} \right\}^{-1}. \quad (3.13)$$

is obtained for the structure of the shockwaves in a plasma. The entire domain of the solutions is divided into a domain with steady and with nonsteady solutions. Academician Ya. B. Zel'dovich and Yu. P. Rayzer are thanked for discussions. The following monographs are mentioned: L. D. Landau, Ye. M. Lifshits (*Mekhanika sploshnykh sred*, Gostekhizdat, 1953); L. D. Landau, Ye. M. Lifshits (*Statisticheskaya fizika*, Gostekhizdat, 1951); S. Chandrasekar (*Vvedeniye v ucheniye o stroyenii zvezd*, IIL, 1950); V. A. Belokon' (*ZhETF*, 36, 341, 1959). There are 1 figure, 2 tables, and 11 references: 9 Soviet and 2 non-Soviet. The reference to the English-language publication reads as follows: R. Letter. Phys. Rev., 99, 1854, 1955.

SUBMITTED: August 4, 1961

Card 5/5

L 15571-63

EWA(b)/EPF(c)/EWT(l)/EPF(n)-2/BDS AFTIC/ASD/AFWL/SSD

Pa-4/Pr-4/Pu-4

ACCESSION NR: AP3002798

S/0207/63/000/003/0003/0010

AUTHORS: Iashennik, V. S.; Morozov, Yu. I. (Moscow)7/
69

TITLE: Tensor of energy-impulse radiation in a moving medium under conditions close to equilibrium

SOURCE: Zhurnal prikladnoy mekhaniki i tekhnicheskoy fiziki, no. 3, 1963, 3-10

TOPIC TAGS: radiation, hydrodynamics, relativity, tensor

ABSTRACT: In a system of hydrodynamic equations at high temperatures there must be included terms which take into account the role of radiation and also an equation describing the transfer of radiation. Thus it is possible to arrive at an equation of radiational hydrodynamics. The basic problem to be solved consists of the formulation of a relativistically covariant kinetic equation of transfer of radiation with consideration of the motion in the medium. The most significant contributions to this problem were made by L. H. Thomas (The radiation field in a fluid in motion. The Quarterly Journal of Mathematics, Oxford Series, 1930 vol. 1.) and D. L. Sindzh (Relyativistskiy gaz. M., GIIL, 1960). A system of equations

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of radiational hydrodynamics for the general relativistic case was written by V. A. Prokof'yev (Uravneniya perenosov v relativisticheskoy radiatsionnoy gidrodinamike DAN SSSR, 1961, 140, str. 1033.). In equations describing motion in a medium, radiacion occurs in the form of a divergence tensor of energy-impulse radiation. Generally speaking, the form of this tensor is very complicated and must be considered simultaneously with equations of the medium and the equation of transfer of radiation. Under conditions close to equilibrium, this tensor can be computed by successive approximations. The authors consider a general equation obtained from a sum of tensors--medium and radiation. Such a procedure greatly simplifies problems of radiational hydrodynamics. By restricting computation of the tensor of energy-impulse to the second approximation (considering hydrodynamic variable terms linear in the gradient), a generalization of the approximation of the radiational heat conductivity is obtained by introducing the mean according to Roseland; see S. Chandrasekar (Vvedeniya v ucheniye o stroyenii zvezd. M., IL, 1950) and D. A. Frank-Kamenetskiy (Fizicheskiye protsessy vnutri zvezd. M., Gos. izd. fiz.-mat. lit., 1959). The authors compute the tensor of energy-impulse of radiation in this approximation. This tensor was computed earlier by Thomas (op. cit.) but his computational procedure is nonstandard and leads to a cumbersome integral.

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The basis of the authors' method is computation of the tensor of energy-impulse of radiation in the natural system of reference and then its transformation to a fixed system of reference by the formula of tensor computation. Thus, the solution of a very wide class of problems of radiational hydrodynamics can be obtained on the basis of several of the derived equations and, for the elementary Galilean case, from some other formulas. Orig. art. has: 51 formulas.

ASSOCIATION: none

SUBMITTED: 14Mar63

DATE ACQ: 16Jul63

ENCL: 00

SUB CODE: PH, AI

NO REF Sov: 006

OTEER: 001

Card 3/3

D'YACHENKO, V.F. (Moskva); IMSHENNIK, V.S. (Moskva)

Incoming cylindrical shock wave in a plasma, taking the front
structure into account. Zhur. vych. mat. i mat. fiz. 3 no.5:
(MIRA 16:11)
915-926 S-0 '63.

ACCESSION NR: APL034267

S/0207/64/000/002/0008/0021

AUTHORS: Imshennik, V. S. (Moscow); Morozov, Yu. I. (Moscow)

TITLE: Shock-wave structure including momentum transfer and radiation energy

SOURCE: Zhurnal prikladnoy mekhaniki i tekhnicheskoy fiziki, no. 2, 1964, 8-21

TOPIC TAGS: shock wave front, radiation transfer, absorption coefficient, radiation hydrodynamics, shock wave, viscous discontinuity, radiation equilibrium, Eddington method, diffusion approximation

ABSTRACT: The nonlinear problem of shock-wave front structure with radiation transfer at relatively small speeds, when $\beta = v/c \ll 1$, has been considered. The following simplifying assumptions are made: the undisturbed medium with constant density ρ_0 has zero temperature, the absorption coefficient is independent of frequency, the equation of state of an ideal gas is used, and the angular radiation intensity distribution is given according to the Eddington method. Using the following nondimensional coordinates

$$\frac{Y}{D}, \quad \eta = \frac{D}{r}, \quad \eta = \frac{\rho}{\rho_0}, \quad r = \frac{1-\eta}{\eta+1} \quad (1)$$

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ACCESSION NR: APL034267

the set of nonrelativistic radiation hydrodynamic equations according to Eddington are written as

$$\boxed{\begin{aligned} A_t &= \eta \left(1 - \eta - \frac{K}{2} \right), & S &= \frac{q}{r} \left[(1 - \eta)(\eta - r) - Kn^{\frac{1+r}{2}} \right] \\ \frac{dK}{dt} &= -S - q\eta(K + 3\delta_1 t^4) \\ \frac{dS}{dt} &= -3(K - \delta_1 t^4) - q\eta[S + q\eta(K + 3\delta_1 t^4)] \end{aligned}} \quad (2)$$

under initial equilibrium boundary conditions

$$\boxed{K = S = t = 0, \quad \eta = 1} \quad (3)$$

and final equilibrium boundary conditions

$$\boxed{K = \delta_1, \quad S = \delta_1, \quad t = T, \quad \eta = \eta_1} \quad (4)$$

To solve these equations approximately, the shock-wave region is divided into

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three parts: the region of strong nonequilibrium, radiation-heated equilibrium region before the viscous discontinuity, and region behind the viscous discontinuity with constant radiation density. For each region a value of η is calculated by applying the appropriate approximations ($K \gg \delta_1 t^4$, $K = \delta_1 t^4$ and $K = \delta_1$, respectively). A qualitative analysis is then proposed for the diffusion approximation of the Eddington equations. The K and S are assumed to be independent variables in a KS plane phase analysis, and the Eddington equations are written in the form of an expansion, or

$$\begin{aligned} dK / d\tau &= a(K_j, S_j)(K - K_j) + b(K_j, S_j)(S - S_j) \\ dS / d\tau &= c(K_j, S_j)(K - K_j) + d(K_j, S_j)(S - S_j) \end{aligned} \quad (5)$$

A qualitative representation of integral curves calculated for $\delta_1 \ll 1$, $\delta_1 \approx 1$, $\delta_1 \approx 12/7$ is given graphically. Appendices are added for the angular approximation of the radiation transfer equations and a mean transfer equation when $\beta \neq 0.6$. Orig. art. has: 3 figures and 84 formulas.

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ACCESSION NR: APL034267

ASSOCIATION: none

SUBMITTED: 10Jan64

ATTD PRESS: 3060

ENCL: 00

SUB CODE: ME

NO REF Sov: 008

OTHER: 003

Card 4/4

2007/11/07/000618610007-2/EPAn-2 Pz-6/Po-4/Pab-10/P1-A IJP(e)

AC REPORT NO.: 840765

S/C207/65/000/001/0003/0013

1. Author: V. A. Tikhonravov, Institute of Mathematics, Moscow.

2. Title: On the interaction of a plasma cloud with a rarefied plasma.

3. Summary: The author studies the interaction of a plasma cloud with a rarefied plasma, including the case of a plasma

cloud moving with a velocity which makes it possible to determine the

An analysis of the equations shows the existence of an intense nonlinear interaction between the plasma clouds from the very start of their interpenetration. This

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"APPROVED FOR RELEASE: 08/10/2001

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ACCESS ID: MR: A25109930

and it corresponds with the predictions of the linear theory but it is up to the P
to decide whether or not to accept it.

REF ID: A25109930

EXPIRY: 00

SUB CODE: NE

OBJ ID: 00

APPROVED FOR RELEASE: 08/10/2001

CIA-RDP86-00513R000618610007-2"

L 9628-66 EWT(1)/IMP(m)/ETC/EPP(n)-2/EAG(m)/EWA(d)/ECS(k)/EWA(h)/EWA(c) LIP(c)
 ACC NR: AP6000537 SOURCE CODE: UR/0040/65/029/06/0993/098
 44, 55 44, 55

AUTHORS: D'yachenko, V. F. (Moscow); Imshennik, V. S. (Moscow)

ORG: none

TITLE: On a converging cylindrically symmetrical shock wave in the presence of dissipative effects

SOURCE: Prikladnaya matematika i mehanika, v. 29, no. 6, 1965, 993-996

TOPIC TAGS: shock wave, ionized plasma, high temperature plasma, reflected shock wave, self similar solution

ABSTRACT: The shock wave structure of a fully ionized plasma was studied, including dissipative effects. A cylindrical geometry is assumed, and the governing equations consist of the ion-momentum equation, the ion-energy equation, and the electron-energy equation. Initial conditions consist of $\rho = \rho_0$, $u = T = \theta = 0$, and the boundary

conditions are given by

$$u = 0, \quad \frac{\partial r}{\partial r} = \frac{\partial \theta}{\partial r} = 0 \quad \text{near } r = 0$$

$$\frac{dr^*}{dt} = u, \quad \frac{k}{M} \rho(T + \theta) = f(t) \quad \text{near } t = t^*$$

A pseudo-self-similar solution is assumed with the parameters ρ_0 , μ_0 , r_0 , and ξ_0 , where $tr^* = \xi_0$; and for $\gamma = 5/3$, $\nu = 1.226$. The nondimensional parameters for the

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flow are then written in the form

$$\rho_0, r_0 = \left(\frac{\mu_0}{\rho_0 c_s^2} \right)^{1/(v-1)}, t_0 = \xi_0 r_0, u_0 = \frac{r_0}{t_0}, T_0 = \frac{M}{k} \frac{r_0^3}{t_0^2},$$

and the equations are solved numerically for a deuterium plasma. The largest difference between the above solution and a fully self-similar case was observed at the cylinder axis during shock wave reflection. The authors thank V. V. Palevchik for carrying out the numerical computations and Ya. M. Kardan for kindly permitting the use of the results of the self-similar solution. / Orig. art. has 9 equations and 5 figures.

SUB CODE: 20/ SUBM DATE: 26Jun65/ ORIG REF: 006/ OTH REF: 003

Card 2/2

L-14966-66 MWT(1)/ETC(m)/ETC(f)/EM(m)/EVP(t)/EVP(b)/ETC(m) JNP(c) JN/5/1/CW
 ACC-NR: AP6002687 SOURCE CODE: UR/OK33/65/042/006/1154/1167

AUTHORS: Imshennik, V. S.; Nadezhin, D. K.

ORG: none

TITLE: Thermodynamic properties of matter at high densities and temperatures

SOURCE: Astronomicheskiy zhurnal, v. 42, no. 6, 1965, 1154-1167

TOPIC TAGS: supernova, positron, electron, pair production, photon, iron, helium, thermodynamics, entropy, temperature

ABSTRACT: An examination is made of the thermodynamic properties of matter in the range of densities of $10^5 \leq \rho \leq 10^{10}$ g/cm³ and in the range of temperatures of $10^9 \leq T \leq 20 \cdot 10^9$ °K. The work is done on the basis of the hypothesis of F. Hoyle and F. A. Fowler (Astrophys. J., Suppl., 91, 201, 1964) on the outbursts of supernova type II. The calculations take into account the relativistic degenerations of electrons and positrons, the production of pairs and photons, and beta processes and nuclear reactions in a mixture of Fe⁵⁶, He⁴, p, n. The calculations assume total statistical equilibrium. Four equations with six unknowns are obtained; e.g.,

$$n_{\pm} = 8\pi \left(\frac{m_e c}{h}\right)^3 \int F_{\pm}(t) d_{\pm} t$$

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UDC: 523.036

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ACC NR: AP6002687

for the number of electrons and positrons per unit volume. A density-temperature diagram for the given ranges is shown in Fig. 1.

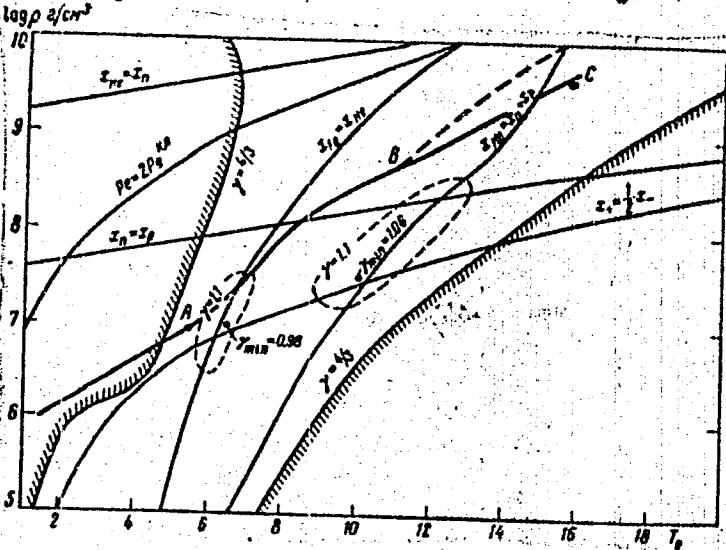


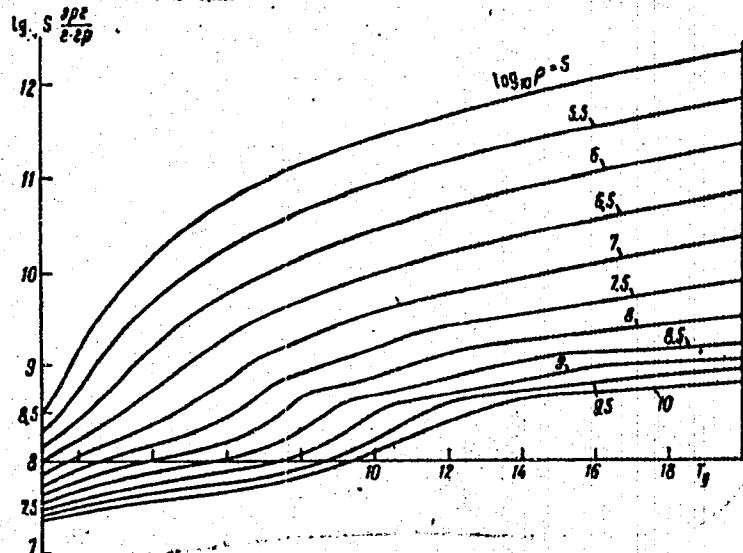
Fig. 1. Density versus temperature.

Entropy per unit mass is shown in Fig. 2.

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ACC NR: AP6002687



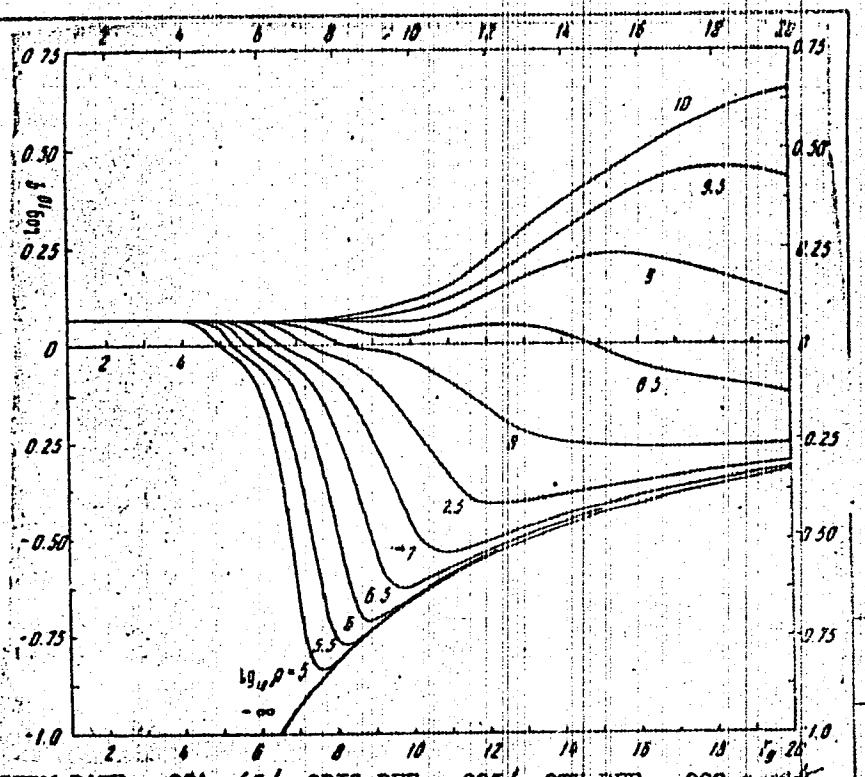
Neutronization at high temperatures is also studied (see Fig. 3), where q is the ratio of the number of neutrons to the number of protons, taking into account the neutrons and protons in the iron and helium nuclei. The authors thank Ya. B. Zel'dovich for discussion and guidance and I. L. Rozhdestvenskaya and V. S. Il'ina for aid in the calculations.

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ACC NR: AP6002687

Fig. 3. Value of q.

Orig. art. has:
33 formulas and
9 graphs.



Card 4/4 SUB CODE: 03/ SUBM DATE: 08Apr65/ ORIG REF: 005/ OTH REF: 009

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CONFIDENTIAL

THEORY OF ENTROPY IN THERMALLY INHOMOGENEOUS SYSTEM

BY V. B. LEONT'EV (Bogolyubov Institute, Kiev, No. 4, 1965, 310-315)

© 1965 BY ENTROPY, ENTROPODOROGA PRINCIPLE, SECOND THERMODYNAMIC LAW, STATISTICAL MECHANICS, THERMODYNAMIC SYSTEM, ADDITIVE ENTROPY, NONADDITIVE ENTROPY.

ABSTRACT: Application of the Caratheodory principle to thermal inhomogeneous systems is discussed. P.S. Epehteyn (*Kurs termodinamiki*, 1948) states that in a system with elements differing in temperature the entropy is nonadditive. An entirely opposite opinion is expressed by M.A. Leont'ev (*Vvedenie v termodinamiku*, 1951) according to which the entropy is additive. In the present article it is shown that